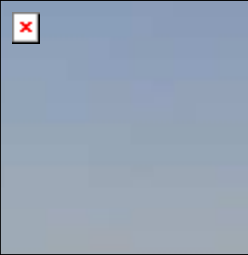
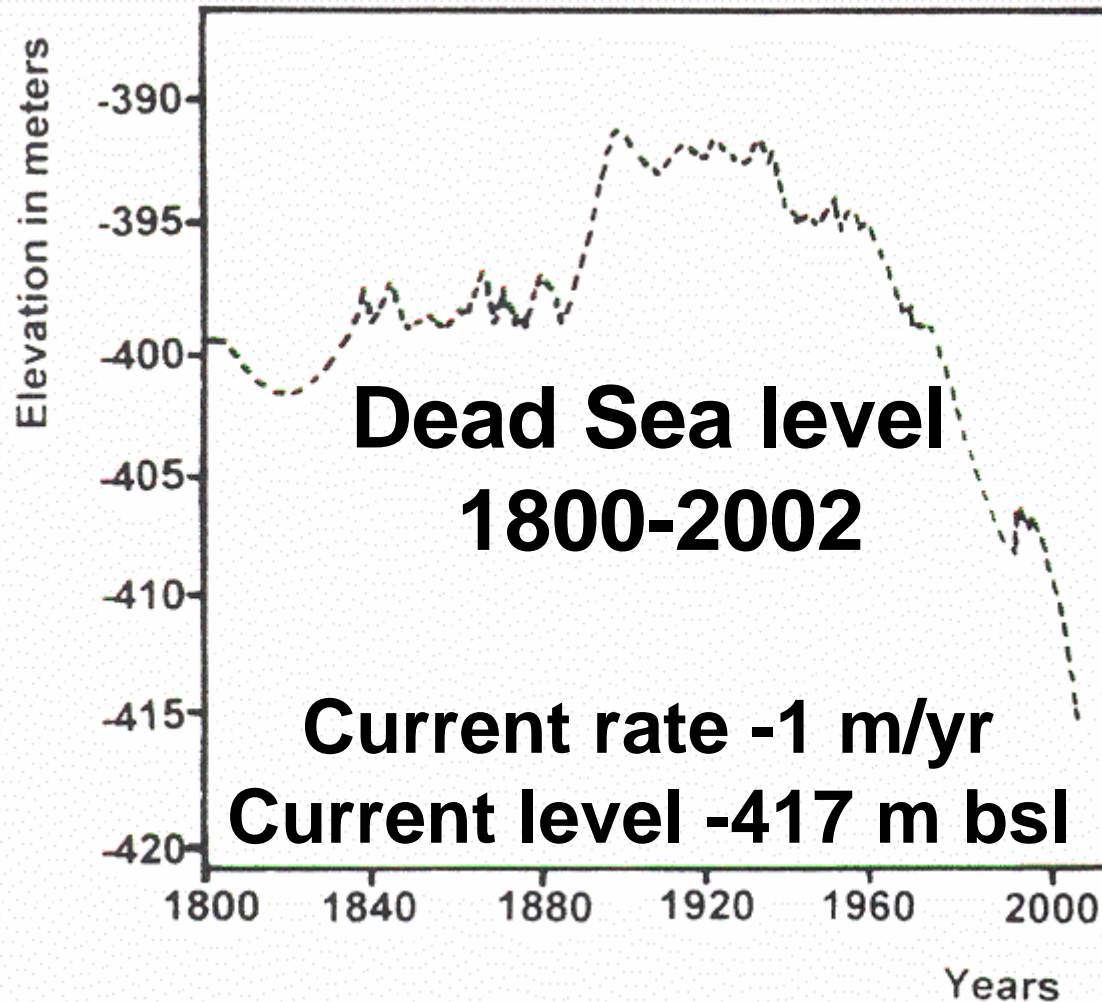


# The Dead Sea: mass and energy balances

**Nadav Lensky**

*Geological Survey of Israel*





**The DS level drop –  
severe  
environmental and  
ecomnomical  
consequences**

- Suggested solutions:**
- 1. Leave as is**
  - 2. Release freshwater**
  - 3. Introduce seawater**

**The consequences (environmental etc.) of these alternatives are not clear**



# **Expected results of mixing seawater with the Dead Sea brine:**

Change of the Dead Sea composition with time

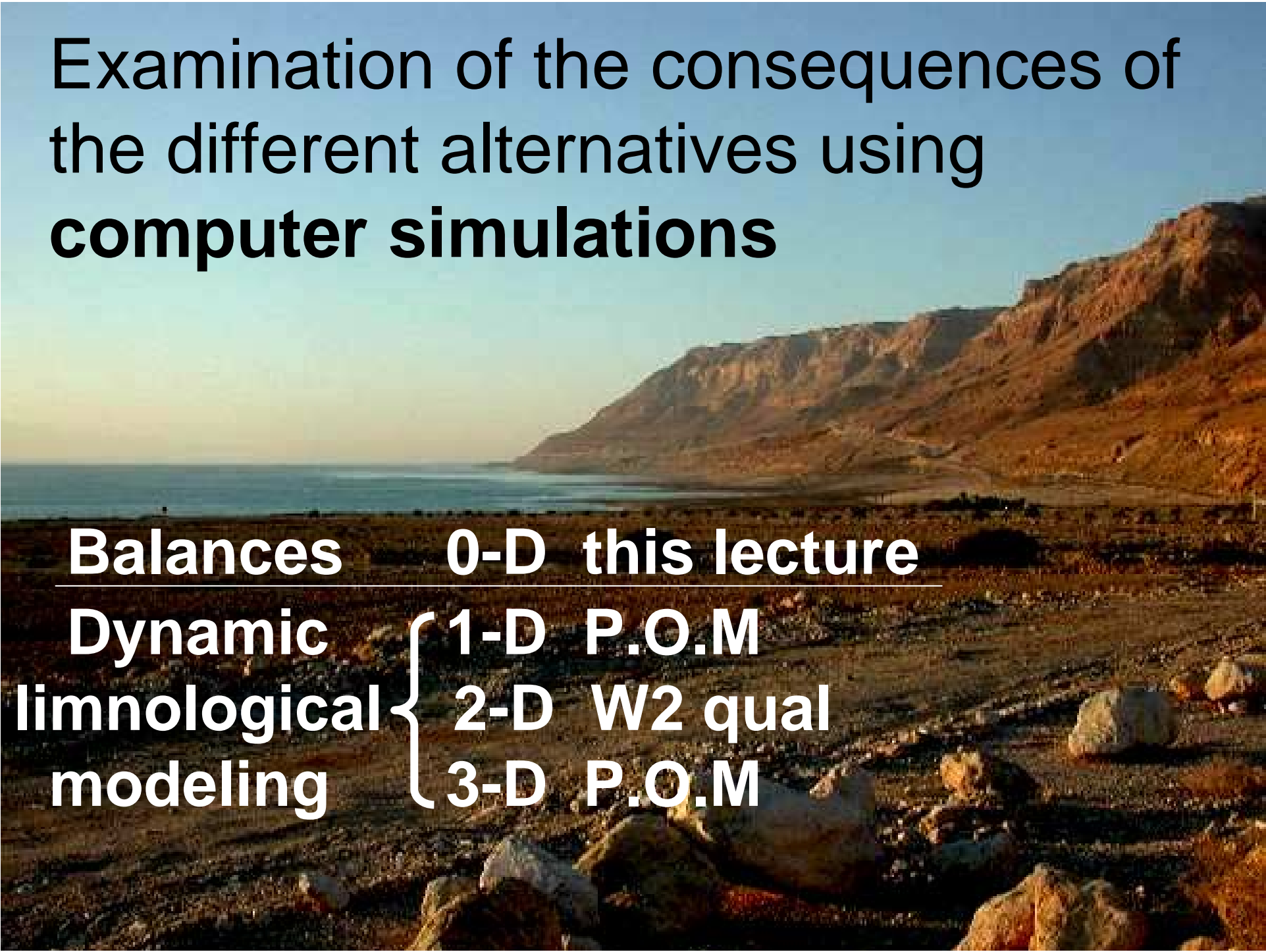
Gypsum precipitation

Dilute upper water layer

Microbial blooming in the upper layer

Reduction conditions in the lower layer

# Examination of the consequences of the different alternatives using **computer simulations**



<u>Balances</u>	0-D	this lecture
Dynamic limnological modeling	1-D	P.O.M
	2-D	W2 qual
	3-D	P.O.M

# Mass and Energy Balances

## *Measured data:*

*(T, P & RH) - air, SW radiation*  
*(T, P & salinity) - water, water level*

**Salt mass balance**

**Energy balance**

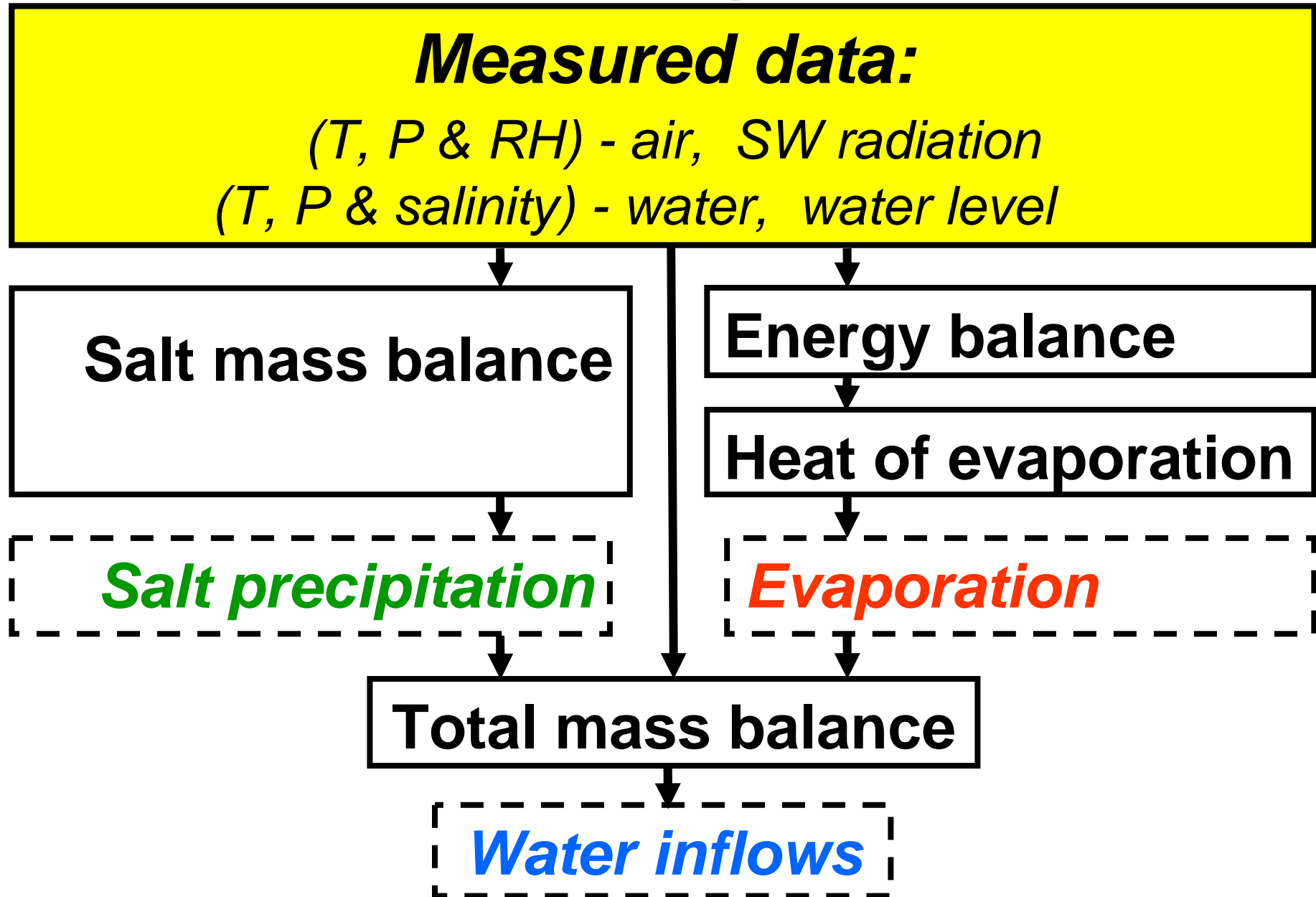
**Heat of evaporation**

***Salt precipitation***

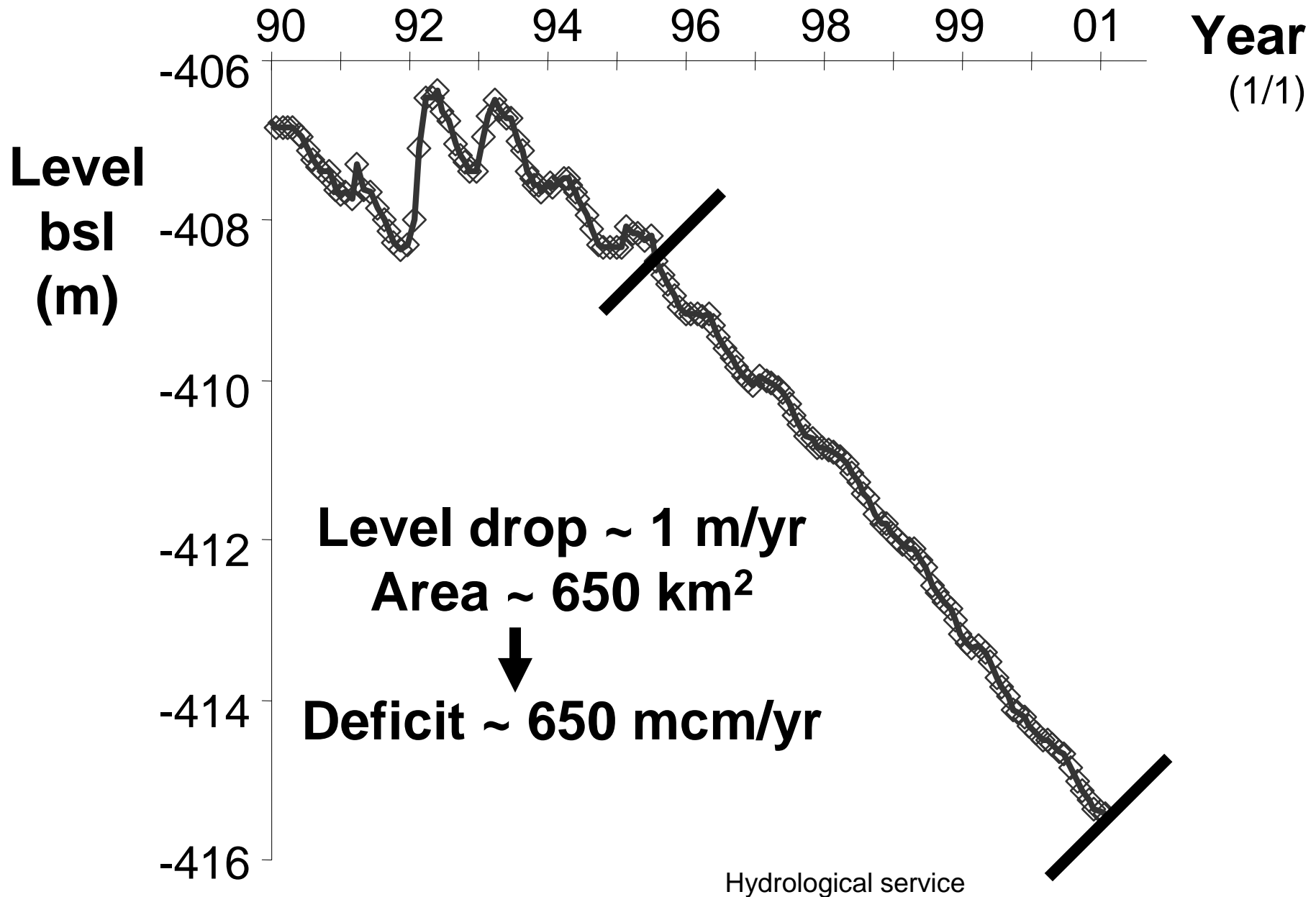
***Evaporation***

**Total mass balance**

***Water inflows***



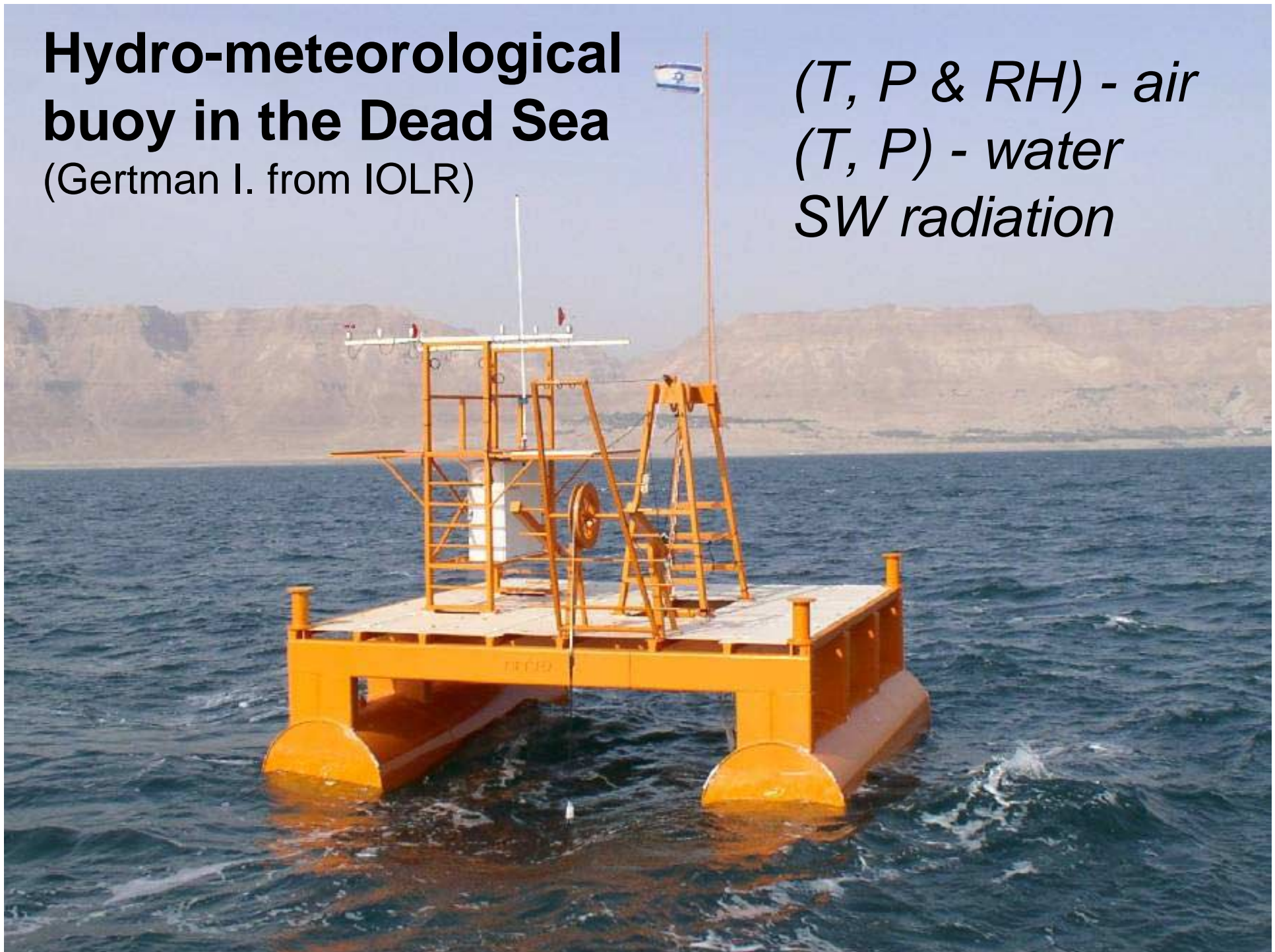
# Dead Sea Level (1990-2001)



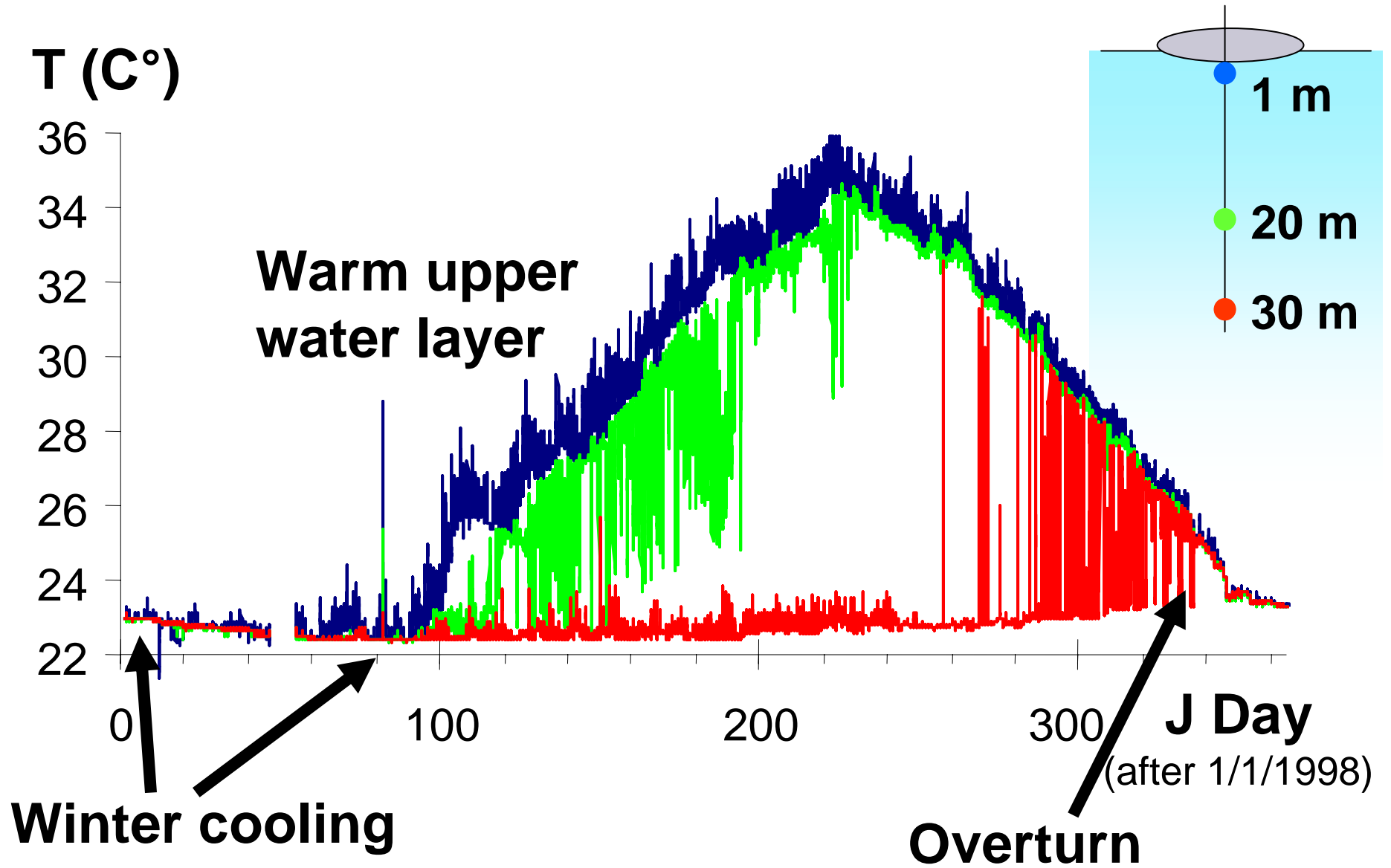
# Hydro-meteorological buoy in the Dead Sea

(Gertman I. from IOLR)

*(T, P & RH) - air*  
*(T, P) - water*  
*SW radiation*



# Water temperature at different depths

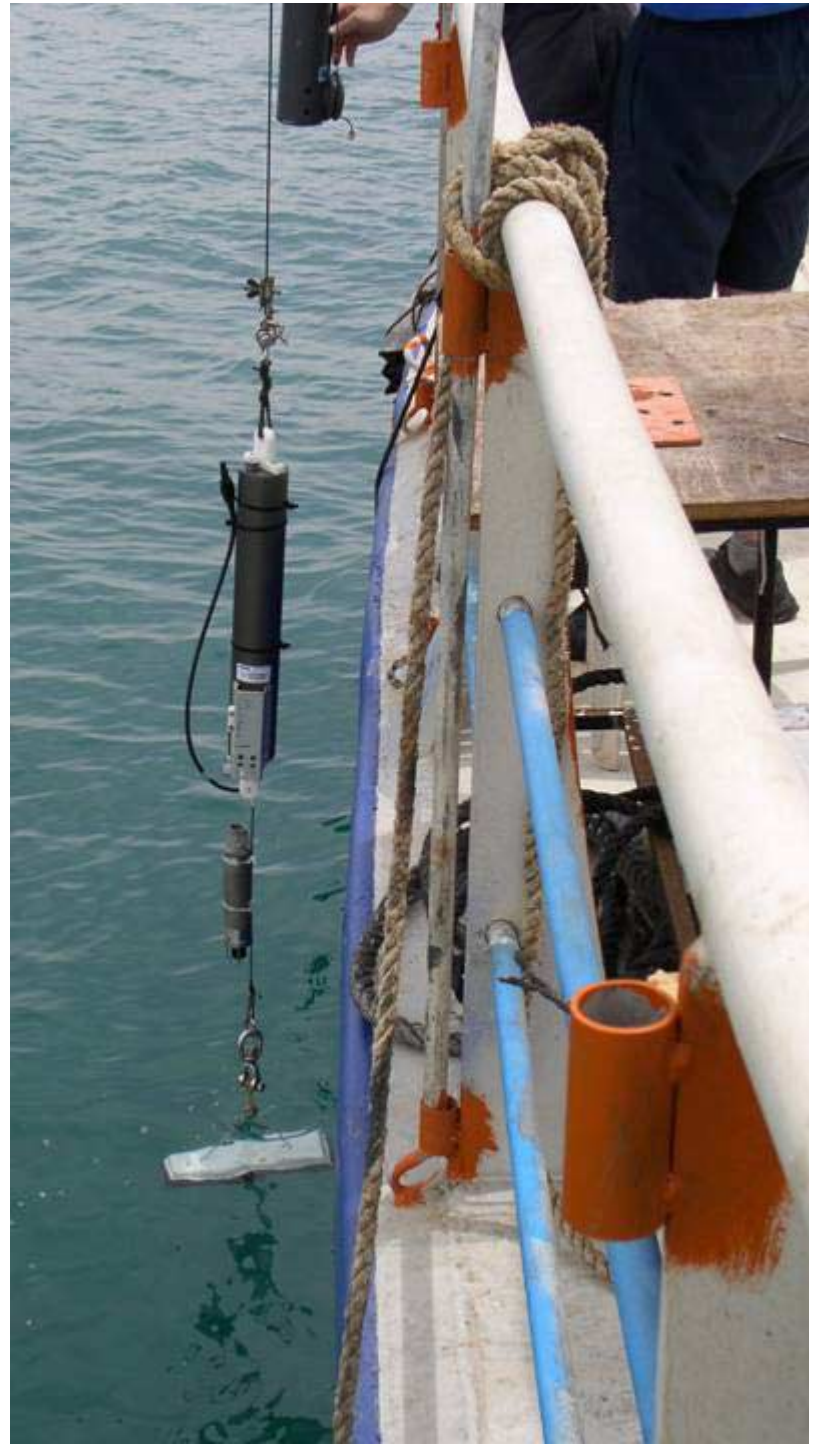




# Hydrographical profiles (T , salinity, $\rho$ )

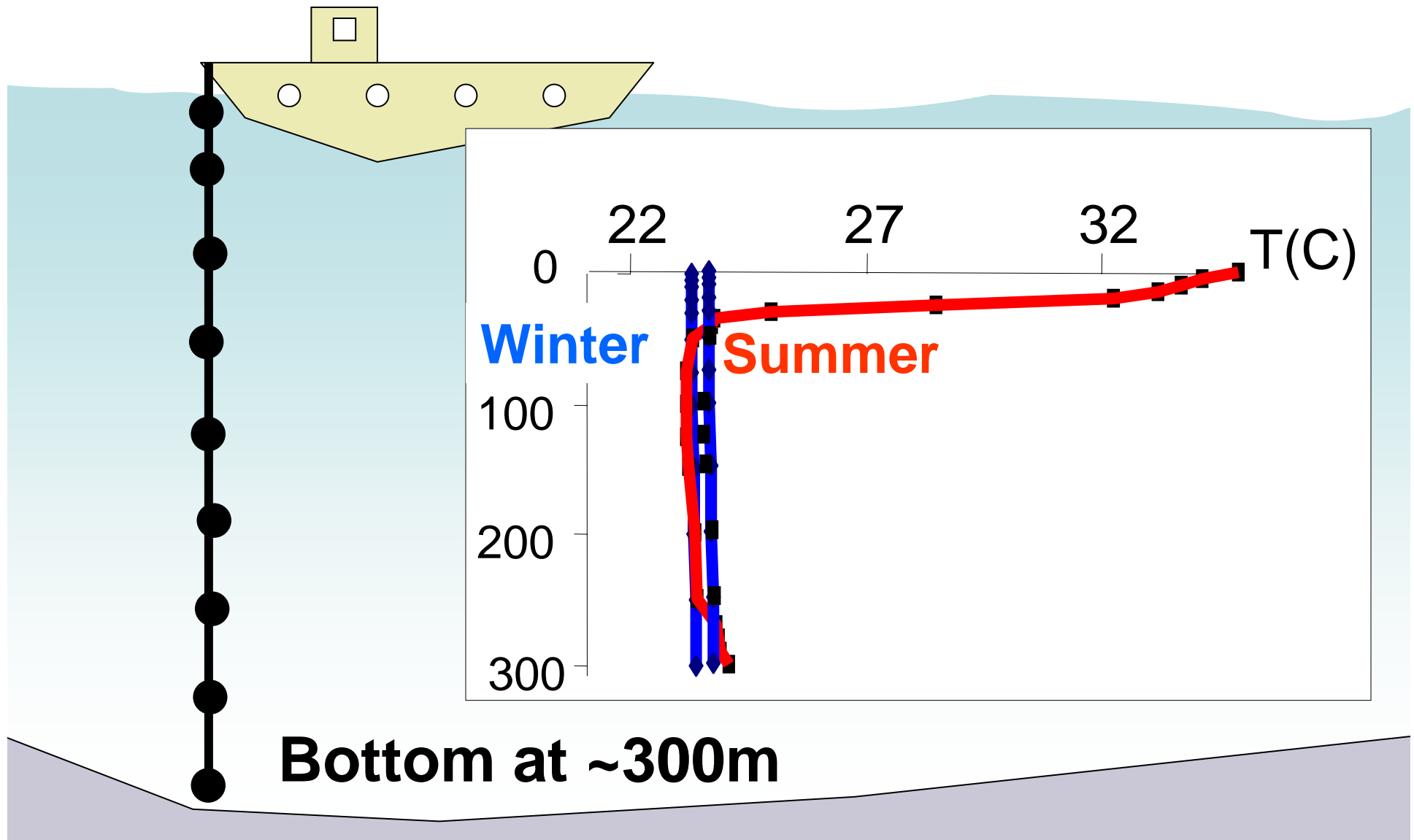
Every 2 months



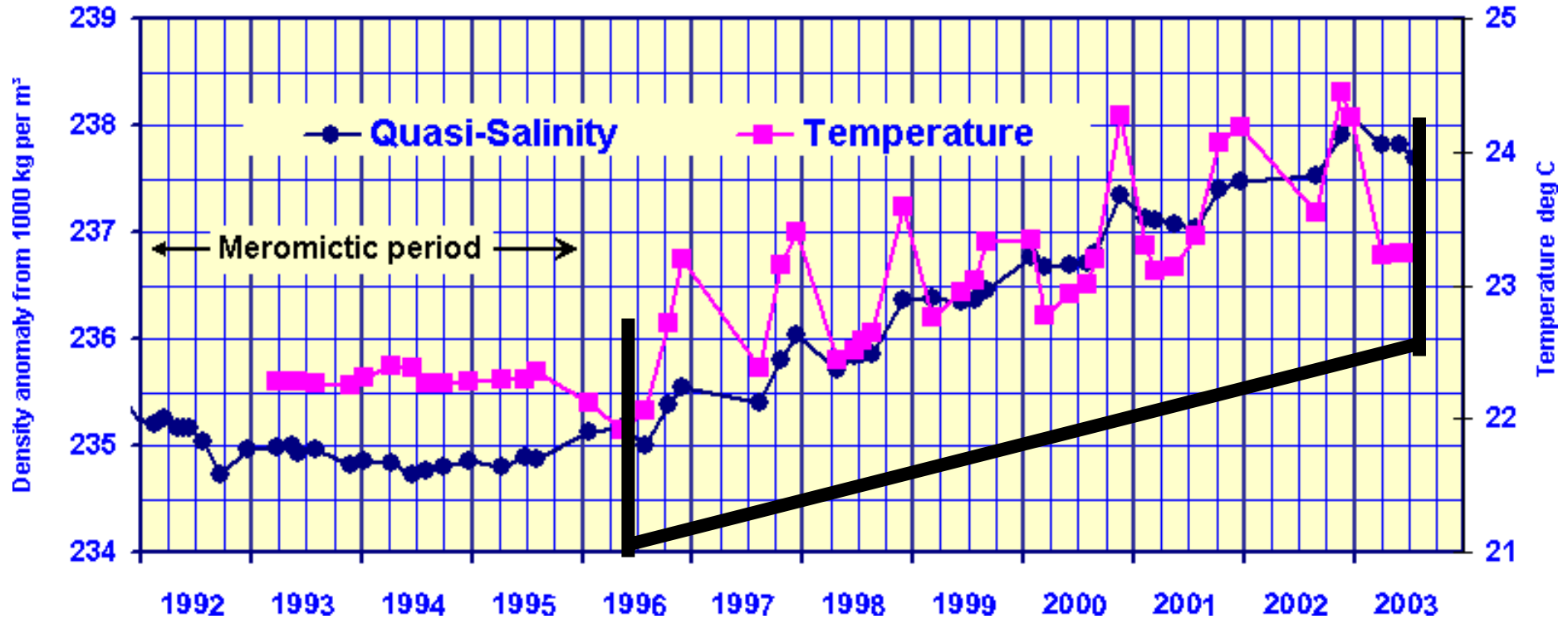


# Hydrographical profiles (T , salinity, $\rho$ )

Every 2 months



**Averaged Quasi-Salinity (Sigma 25) and Temperature  
of the Dead Sea Deep Water Body  
(below 100m)**



**Measured annual changes:**

**Surface level drop ~ 1 m / yr**

**Temperature increase ~ 0.2-0.3 °C / yr**

**Salinity increase ~ 0.3 g/kg / yr**

# Mass and Energy Balances

✓ **Measured data:**

*(T, P & RH) - air, SW radiation*

*(T, P & salinity) - water, water level*

**Salt mass balance**

**Energy balance**

**Heat of evaporation**

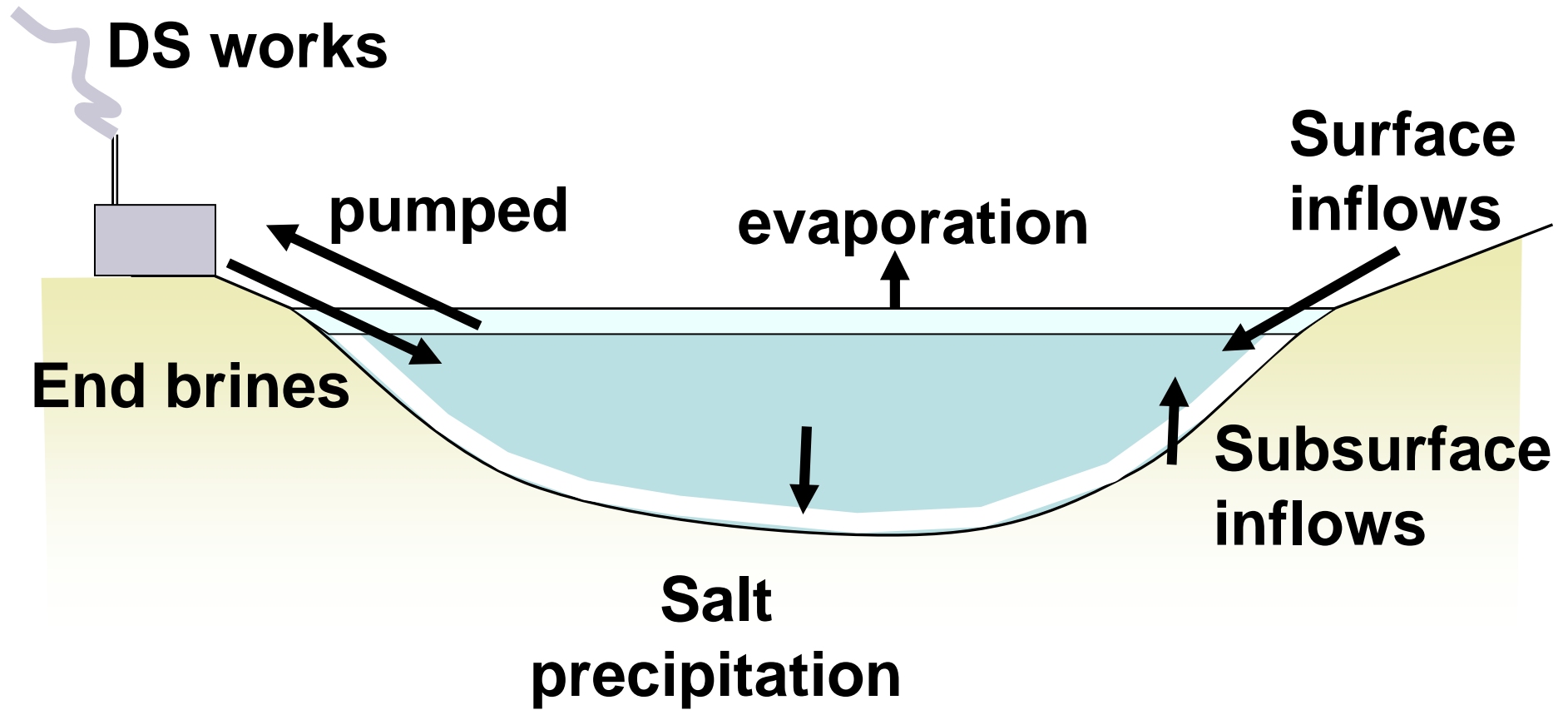
***Salt precipitation***

***Evaporation***

**Total mass balance**

***Water inflows***

# Total mass balance



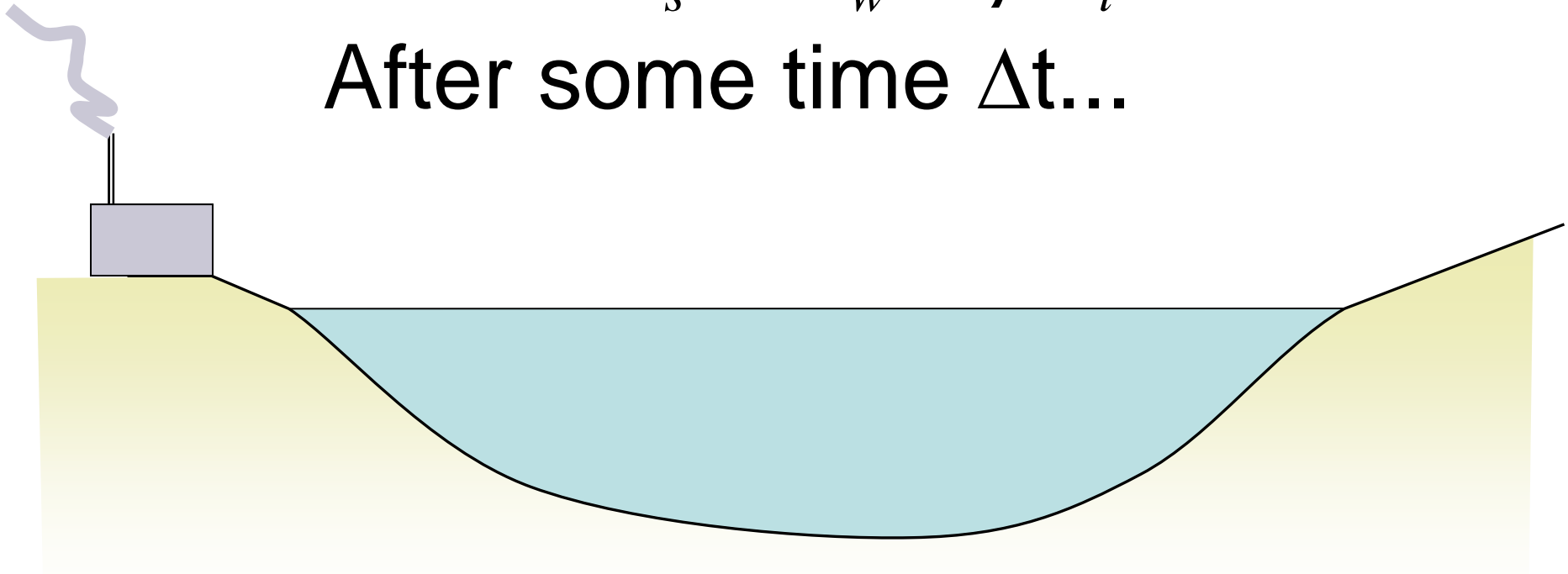
# Total mass balance

At a given time:

Mass of water + mass of salts = total mass of brine

$$m_s + m_w = \rho V_t$$

After some time  $\Delta t$ ...



# Total mass balance

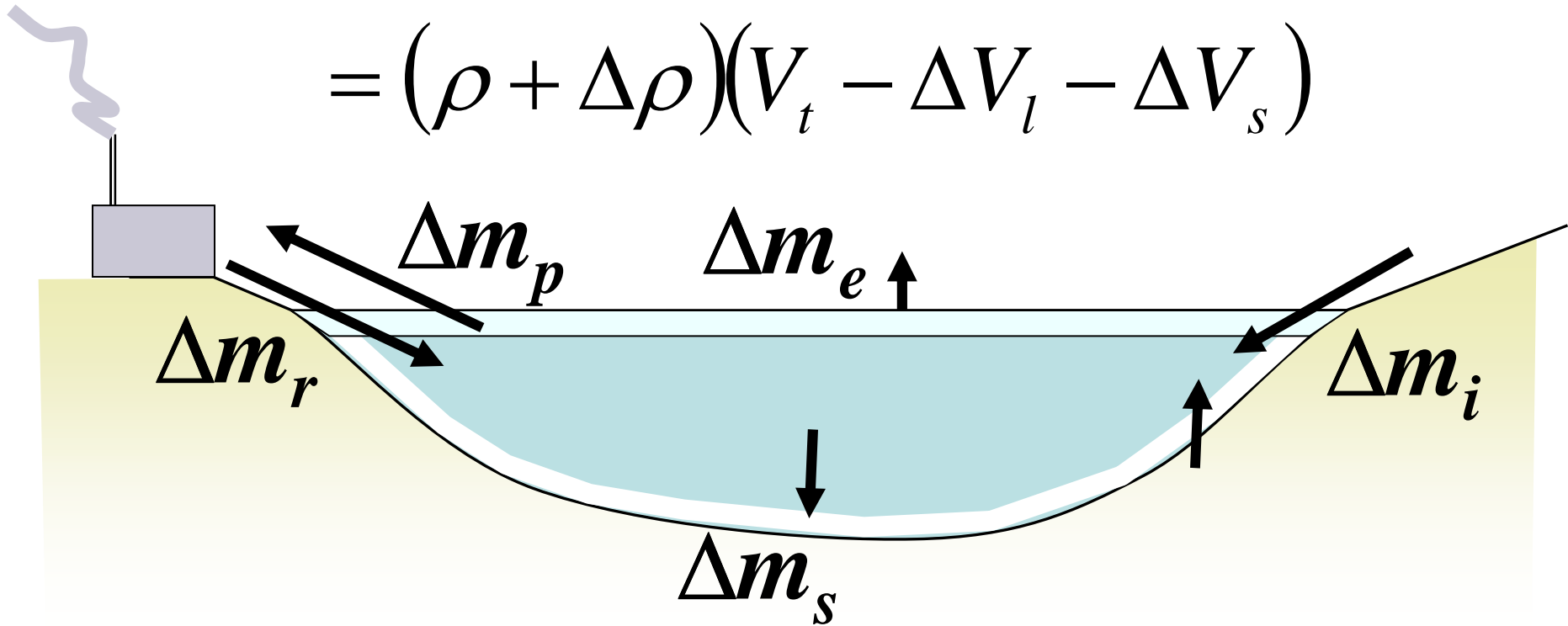
change during  $\Delta t$  in:

Mass -  $\Delta m$

Volume -  $\Delta V$

Density -  $\Delta \rho$

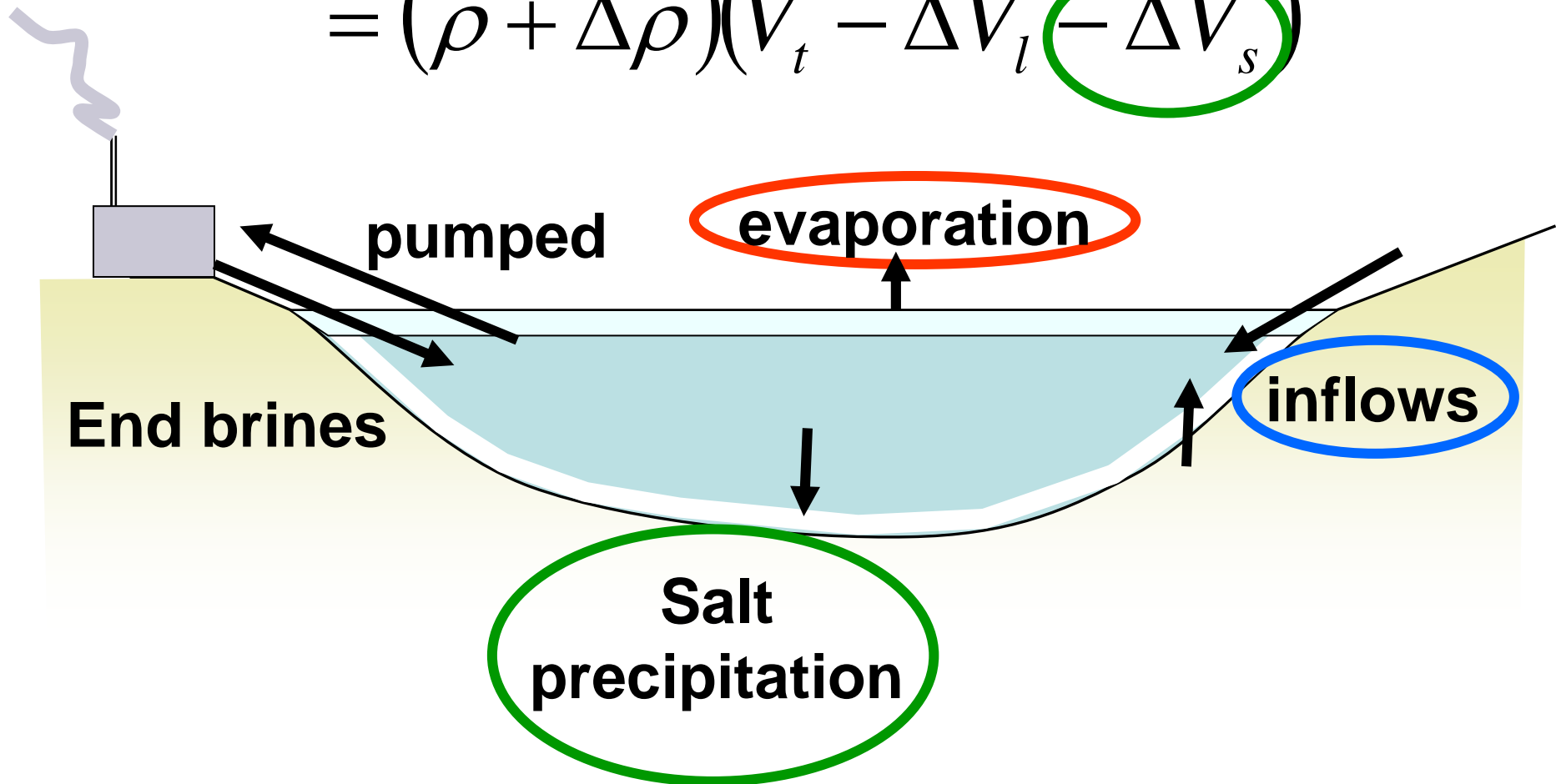
$$m_s + m_w + \Delta m_i - \Delta m_e - \Delta m_s - \Delta m_p + \Delta m_r =$$
$$= (\rho + \Delta \rho)(V_t - \Delta V_l - \Delta V_s)$$



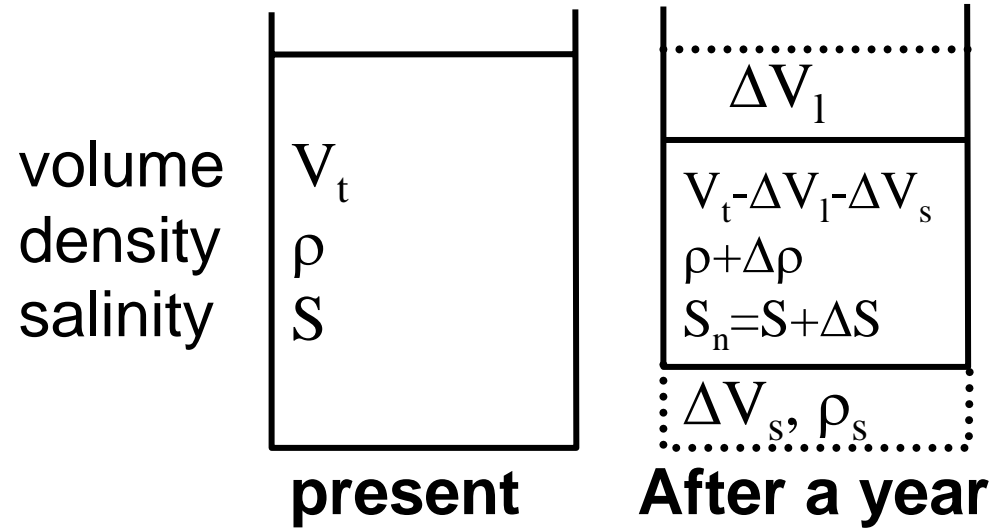


# Total mass balance

$$m_s + m_w + \Delta m_i - \Delta m_e - \Delta m_s - \Delta m_p + \Delta m_r =$$
$$= (\rho + \Delta\rho)(V_t - \Delta V_l - \Delta V_s)$$



# Salt mass balance



After  $\Delta t$  - a year

$$\Delta V_s = \frac{(S + \Delta S)(\rho \Delta V_l - \Delta \rho V_t) - \Delta S V_t \rho + S_r \rho_r \Delta V_r - S \rho \Delta V_p}{\rho_s - S_n \rho}$$

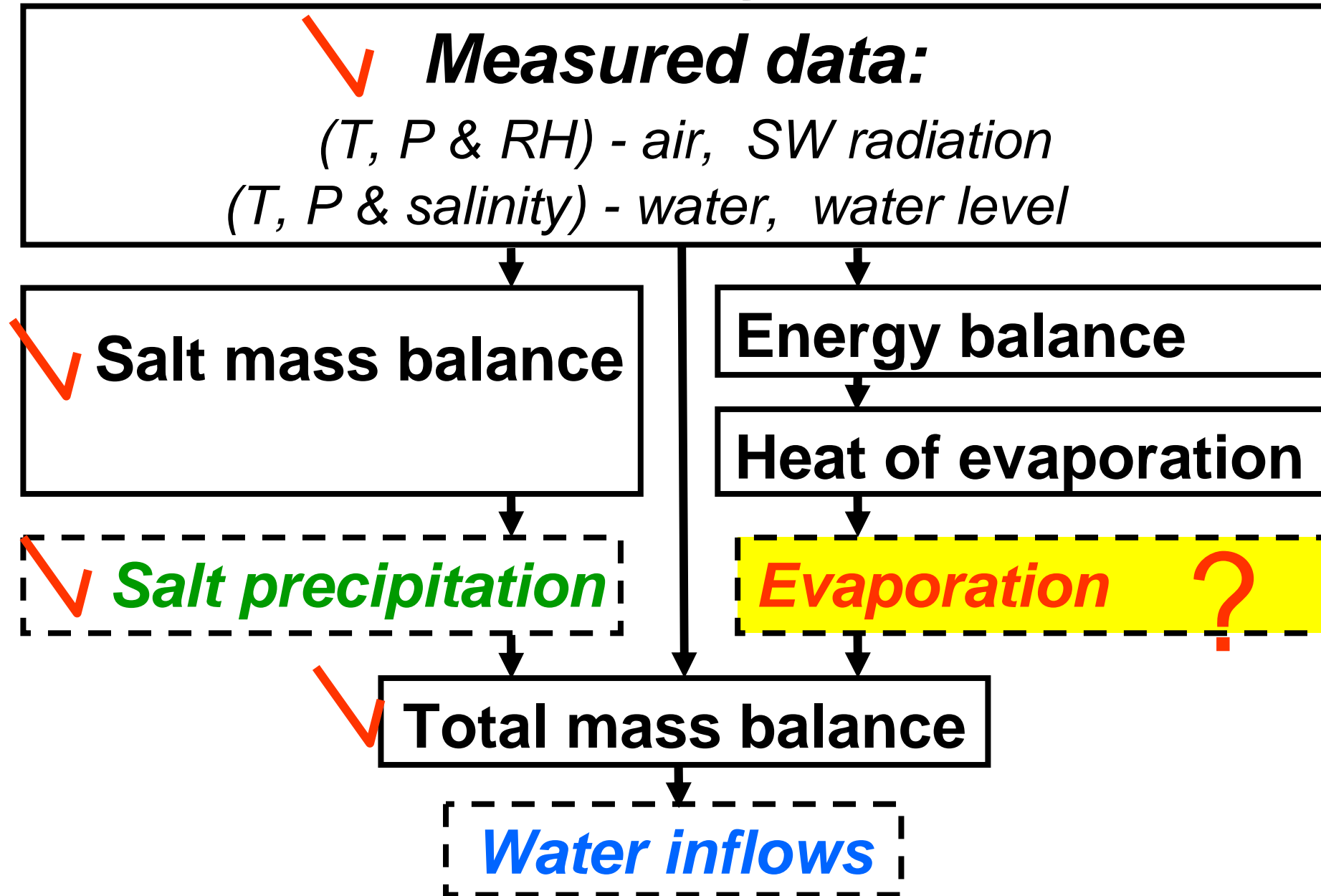
**salt**  
**precipitation**  
**~0.1 m/yr**

**2 unknowns remain:**

**Freshwater inflows  $\Delta V_i$**

**Evaporation  $\Delta V_e$**

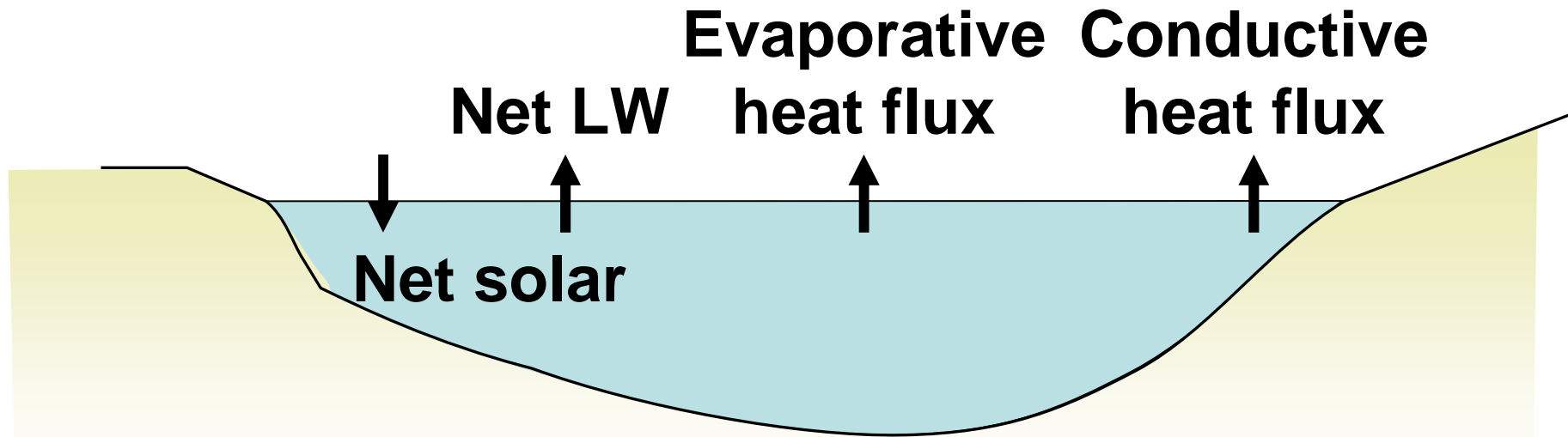
# Mass and Energy Balances



# Energy balance

Net heat flux

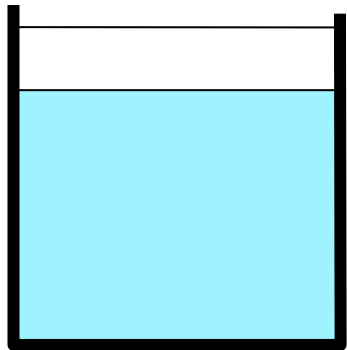
$$Q_n = Q_{SN} - Q_{LW} - Q_e - Q_c$$



# Heat of evaporation (Bowen 1926)

$$Q_e = \frac{Q_{SN} - Q_{LW} - Q_n}{1 + c_b (T_s - T_a) / (e_s - e_a)}$$

## From heat to rate of evaporation

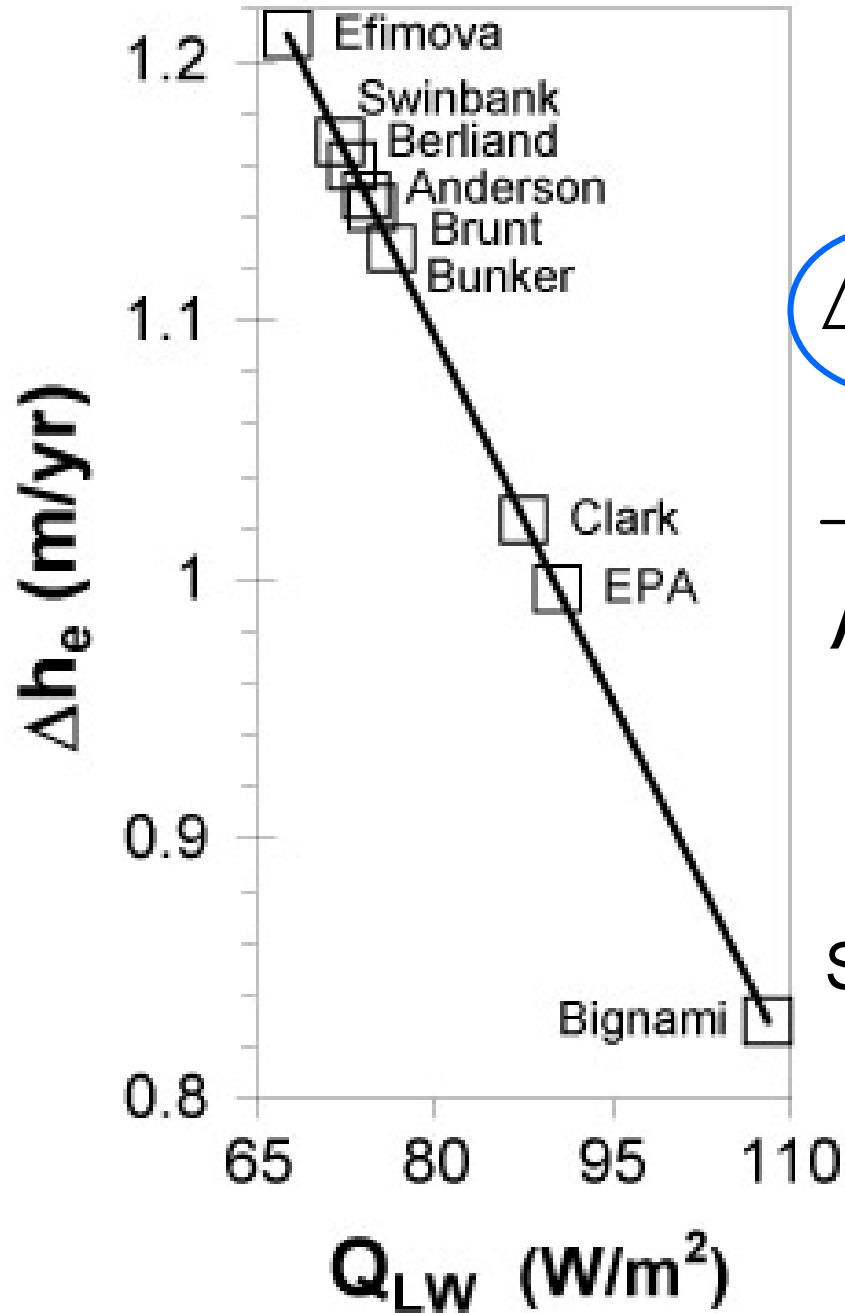


$$\Delta h_e = \frac{\Delta V_e}{A}$$

$$\Delta h_e = \Delta t \frac{Q_e}{\rho L_e}$$

$L_e$  - latent heat

# Evaporation rate vs. $Q_{LW}$

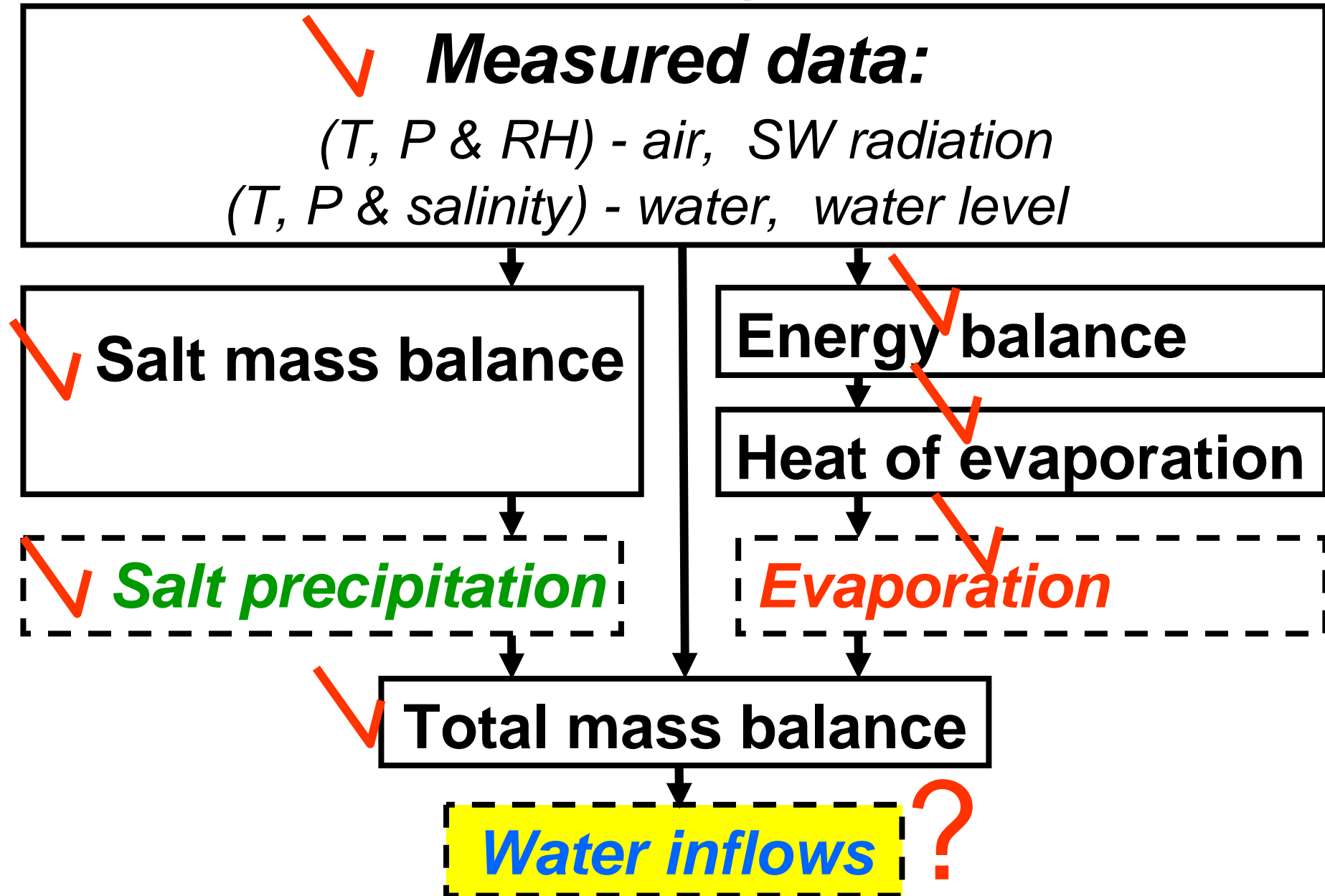


$$\Delta h_e = \frac{\Delta t}{\rho L_e} \frac{Q_{SN} - Q_{LW} - Q_n}{1 + c_b (T_s - T_a) / (e_s - e_a)}$$

Stanhill (1994): **1.05 m/yr**

Salameh & El-Naser (2000): **2 m/yr**

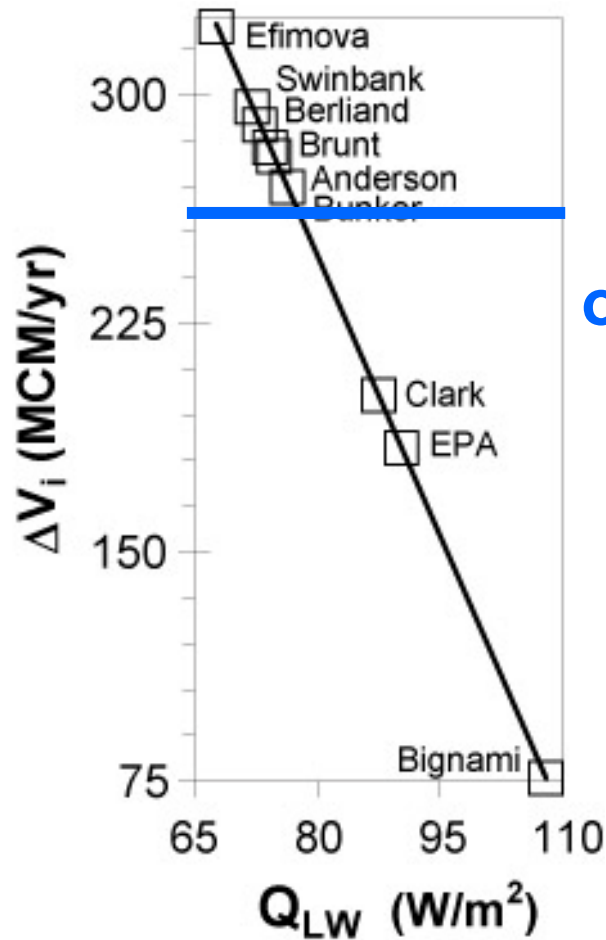
# Mass and Energy Balances



# Energy and mass balances

$$\Delta V_i = \Delta t \frac{A}{\rho L_e} \frac{Q_{SN} - Q_{LW} - \rho C_p h_t \Delta T / \Delta t}{1 + c_b (T_s - T_a) / (e_s - e_a)} + X$$

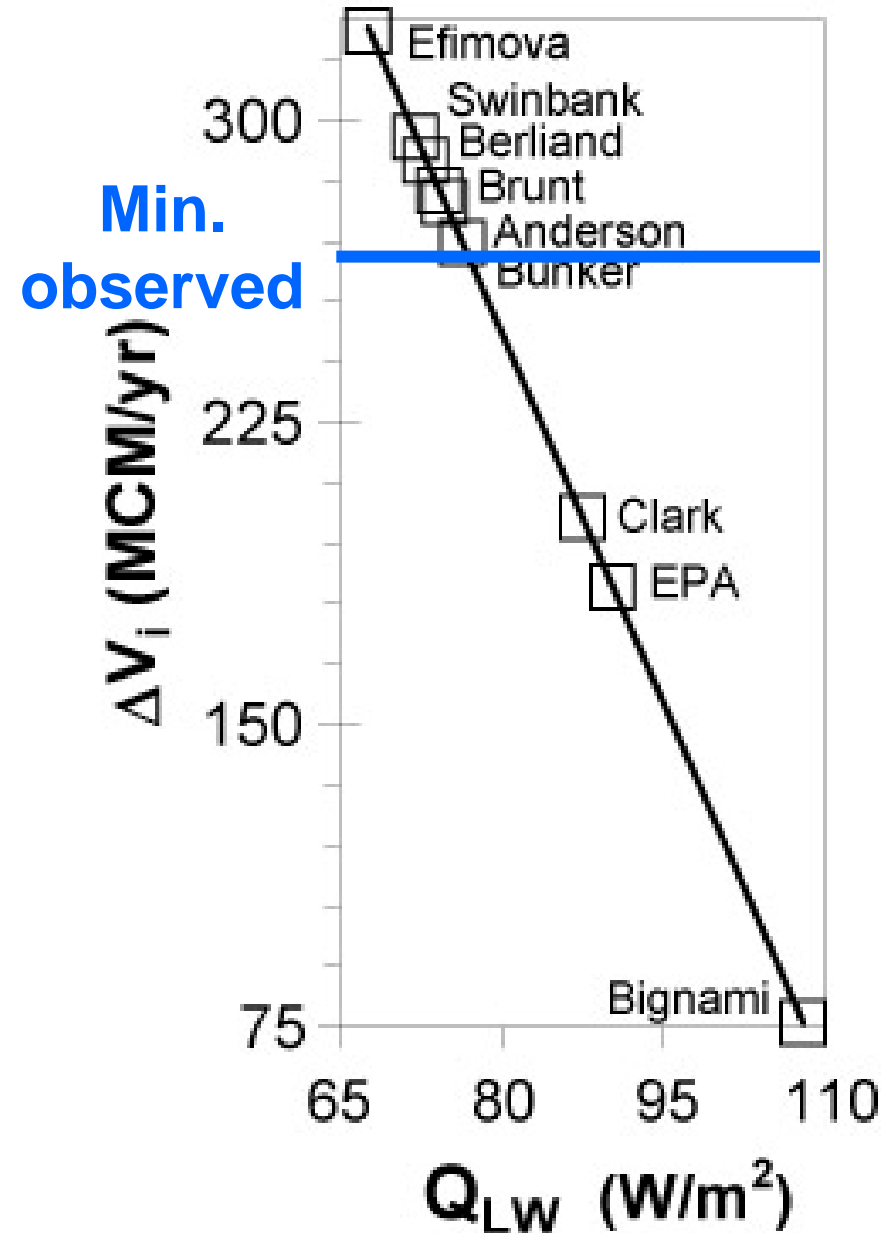
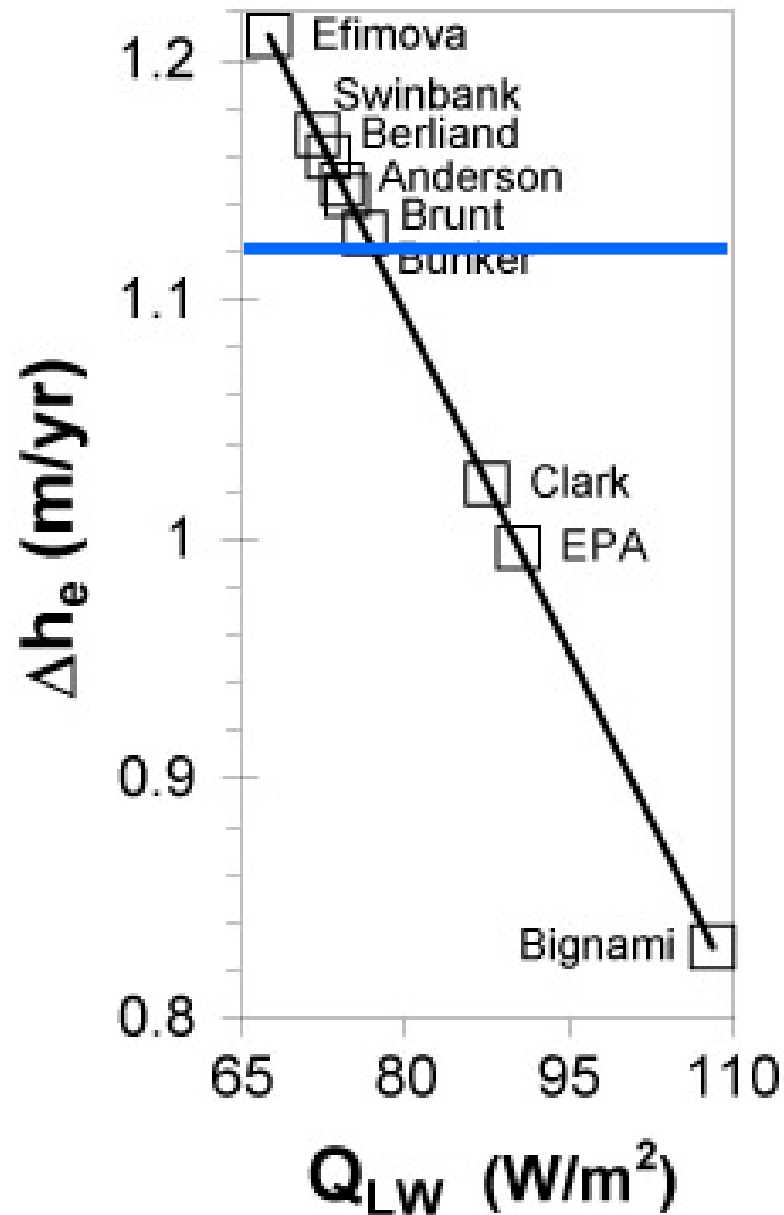
$$X = \frac{\rho_s - \rho}{\rho_w} \Delta V_s - \frac{\rho}{\rho_w} (\Delta V_l - \Delta V_p) + \frac{\Delta \rho}{\rho_w} V_t - \frac{\rho_r}{\rho_w} \Delta V_r$$



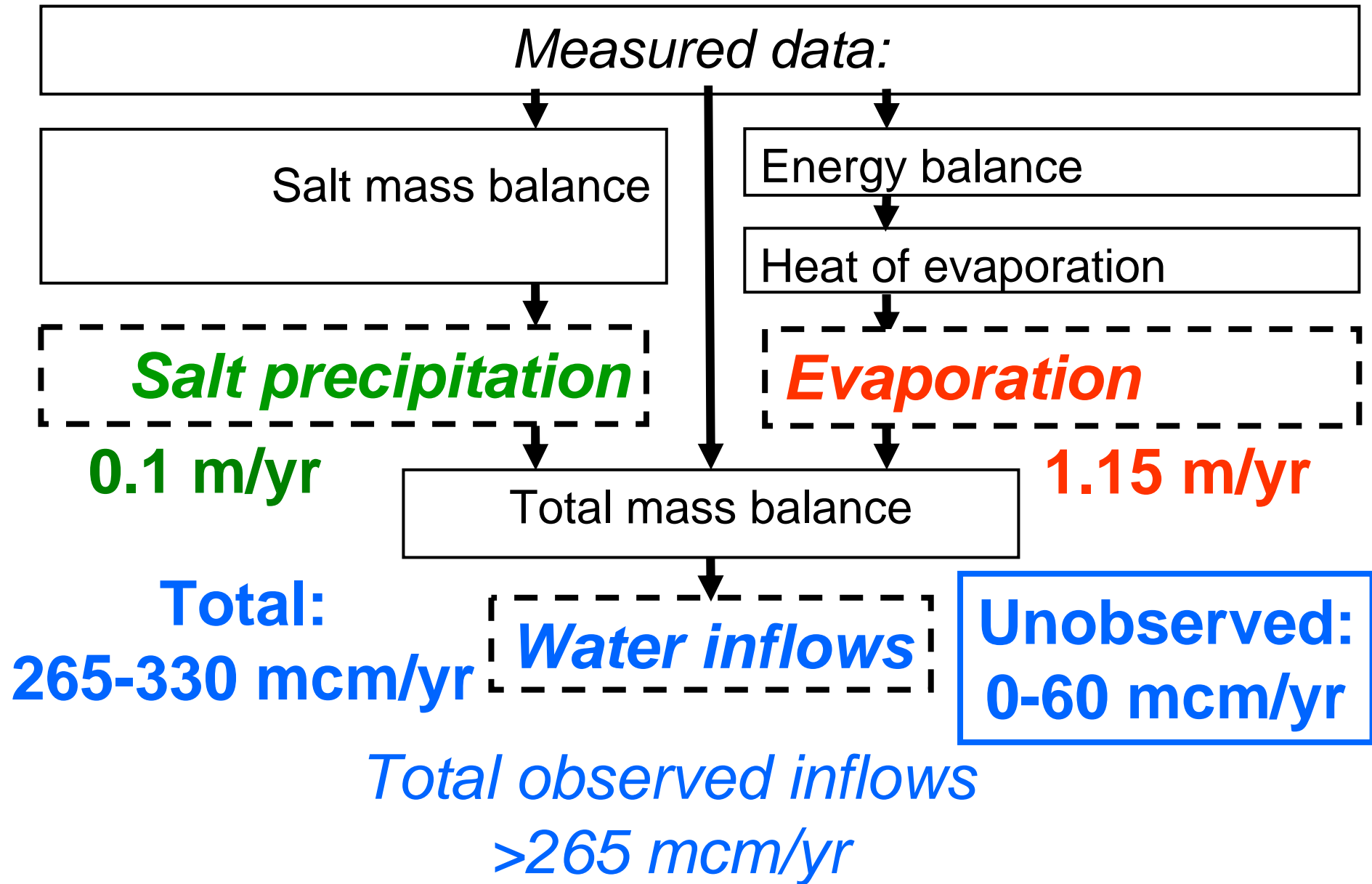
**Min.  
observed**



# Rate of evaporation and inflows vs. $Q_{LW}$



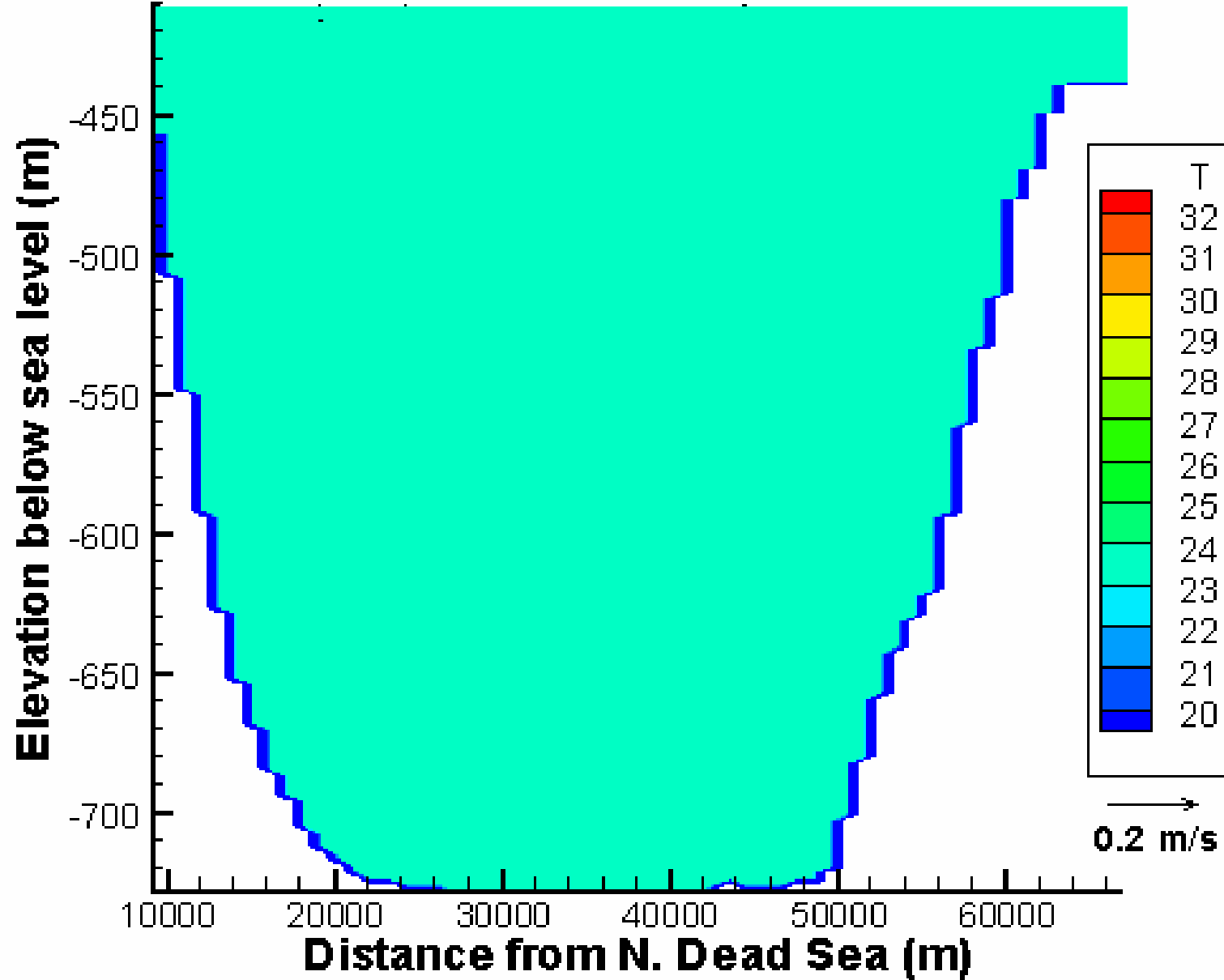
# Summary



### Dead Sea simulation 1998

North  
Jordan River

South  
Endbrine channel



Thank you...

