



THE WEIZMANN INSTITUTE OF SCIENCE  
FACULTY OF MATHEMATICS AND COMPUTER SCIENCE  
Geometric Functional Analysis and Probability Seminar

Room 290C ,Ziskind Building  
on Thursday, Mar 09, 2017  
at 11:15

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WIS

Conditional determinantal processes are determinantal

Abstract:

A determinantal point process governed by a locally trace class Hermitian contraction kernel on a measure space  $E$  remains determinantal when conditioned on its configuration on an arbitrary measurable subset  $B \subset E$ . Moreover, the conditional kernel can be chosen canonically in a way that is "local" in a non-commutative sense, i.e. invariant under "restriction" to closed subspaces  $L^2(B) \subset P \subset L^2(E)$ .

Using the properties of the canonical conditional kernel we establish a conjecture of Lyons and Peres: if  $K$  is a projection then almost surely all functions in its image can be recovered by sampling at the points of the process.