Abstract:

Many works in relative $p$-adic harmonic analysis aim to describe which representations of a reductive group $G$ can be embedded inside the space of smooth functions on a homogeneous space $G/H$. A related question is whether such an embedding can be realized in a canonical form such as an $H$-integral over a matrix coefficient. In a joint work with Omer Offen we treated the symmetric case, i.e., when $H$ is the fixed point group of an involution. As part of the answer we provide a precise criterion for such integrability, which reduces in the group case to Casselman’s known square-integrability criterion.