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THE WEIZMANN INSTITUTE OF SCIENCE  
FACULTY OF MATHEMATICS AND COMPUTER SCIENCE  
Algebraic Geometry and Representation Theory Seminar

on Wednesday, Dec 02, 2020 at 16:30

[HTTPS://WEIZMANN.ZOOM.US/J/98304397425](https://weizmann.zoom.us/j/98304397425)

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Selfdual cuspidal representations of  $GL(r,D)$  and distinction by an inner involution

Abstract:

Let  $n$  be a positive integer,  $F$  be a non-Archimedean locally compact field of odd residue characteristic  $p$  and  $G$  be an inner form of  $GL(2n,F)$ . This is a group of the form  $GL(r,D)$  for a positive integer  $r$  and division  $F$ -algebra  $D$  of reduced degree  $d$  such that  $rd=2n$ . Let  $K$  be a quadratic extension of  $F$  in the algebra of matrices of size  $r$  with coefficients in  $D$ , and  $H$  be its centralizer in  $G$ . We study selfdual cuspidal representations of  $G$  and their distinction by  $H$ , that is, the existence of a nonzero  $H$ -invariant linear form on such representations, from the viewpoint of type theory. When  $F$  has characteristic 0, we characterize distinction by  $H$  for cuspidal representations of  $G$  in terms of their Langlands parameter, proving in this case a conjecture by Prasad and Takloo-Bighash.

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